

WHAT IS dBm, dBmV, dBuV, dBc ... ?

... AND WHY DO WE USE THESE UNITS ON A SPECTRUM ANALYZER ?

WHAT IS A dB?

A LOGARITHMIC EXPRESSION OF THE RATIO OF TWO POWER LEVELS

$$10 \times \log_{10} \left(\frac{P_1}{P_2} \right) \quad (\text{not LN})$$

P_1	P_2	$\frac{P_1}{P_2}$	dB
1	1	1	0
2	1	2	3
10	1	10	10
0.5	1	0.5	-3
7.2	1.6	4.5	6.5
100	1	100	20
1000	1	1000	30

LARGE VARIATIONS IN RATIOS CAN BE EXPRESSED ON A REASONABLE SCALE

LOGARITHMS TURN $\times \xi \div$ INTO $+ \xi -$

SINCE A dB IS A RATIO, IT IS NOT
AN ABSOLUTE QUANTITY, LIKE A WATT, ETC.

WE CAN SAY...

... THIS SIGNAL IS 3dB GREATER THAN THAT ONE.

WE CANNOT SAY...

... THIS SIGNAL LEVEL IS 3dB.

TO MAKE IT AN ABSOLUTE QUANTITY, WE MUST
SPECIFY OR IMPLY A REFERENCE!

KNOWING THE REFERENCE,
THE RATIO BECOMES
AN ABSOLUTE
VALUE!

EXAMPLES...

... THIS SIGNAL IS TWICE AS BIG AS XXX

... THIS SIGNAL IS HALF THE VALUE OF YYY

THE SUFFIX AFTER dB_ IMPLIES THE REFERENCE!

dBm → REFERENCE IS MILLIWATT (mW)

dBμ → REFERENCE IS MICROWATT (μW)

dBmV → REFERENCE IS MILLIVOLT (mV)

THE SUFFIX CAN TURN dB INTO AN ABSOLUTE QUANTITY dBm

EXAMPLE

10 MHz SINEWAVE AT 950 mVpp INTO 50 Ω

$$V_{pp} = 950 \text{ mV}$$

$$V_{rms} = \frac{V_{pp}}{2 \cdot \sqrt{2}} = \frac{950 \text{ mV}}{2 \cdot \sqrt{2}} = 336 \text{ mV}_{rms}$$

THEREFORE, THE POWER IN THE
50 Ω LOAD IS:

$$P = \frac{(V_{rms})^2}{R} = \frac{0.336^2}{50} = 2.256 \text{ mW}$$

TO EXPRESS THIS IN dBm, THE
REFERENCE IS 1 mW

$$\text{dBm} = 10 \cdot \text{LOG}_{10} \left(\frac{2.256 \text{ mW}}{1 \text{ mW}} \right) = \underline{3.53 \text{ dBm}}$$

IN dB μ , REFERENCE IS 1 μ W

$$\text{dB}\mu = 10 \cdot \text{LOG} \left(\frac{2.256 \times 10^{-3}}{1 \times 10^{-6}} \right) = 33.53 \text{ dB}\mu$$

WHAT ABOUT COMPARING VOLTAGE RATIOS?

THE dB RELATES TO POWER ...

... SO WE HAVE TO CALCULATE POWER

$$10 \cdot \text{LOG} \left[\frac{\frac{V_1^2}{R}}{\frac{V_2^2}{R}} \right]$$

$$10 \cdot \text{LOG} \left[\frac{V_1^2}{R} \cdot \frac{R}{V_2^2} \right]$$

$$10 \cdot \text{LOG} \left[\frac{V_1^2}{V_2^2} \right]$$

$$10 \cdot \text{LOG} \left[\left(\frac{V_1}{V_2} \right)^2 \right]$$

$$2 \cdot 10 \cdot \text{LOG} \left[\frac{V_1}{V_2} \right]$$

$$20 \cdot \text{LOG} \left[\frac{V_1}{V_2} \right]$$

ASSUMING EQUAL
IMPEDANCE

THUS, OUR 950mV_{pp} CAN BE EXPRESSED IN dBmV

$$\text{dBmV} = 20 \cdot \text{LOG} \left(\frac{336\text{mV}}{1\text{mV}} \right) = 50.5 \text{dBmV}$$

WHAT ABOUT dBc?

- dBc MEANS IT IS dB RELATIVE TO
SOME "CARRIER" POWER LEVEL

- VERY COMMON IN RF APPLICATIONS