* dB Simplified *


# Demystitying Decibels (dB)! 

Transceiver S-Meter


$$
\mathrm{S}-1=3 \mathrm{~dB}
$$

S-9
60 dB 'Over' S-9!
dB , decibel=one tenth of a BEL (Alexander Graham Bell-Inventor of Telephone)
Decibel is nothing more than an expression of the ratio between two signals. However, the 'Logarithms' of the ratios are used rather than the straight arithmetical ratios.
$\mathrm{dB}=10 \operatorname{LOG}\left(\mathrm{P}_{1} / \mathrm{P}_{2}\right)$
$\mathbf{1}$ 'S' (Strength) Unit: Smallest change that is easily noted by the average listener. S Meter calibration: $\mathbf{3} \mathbf{d B} / \mathbf{S}-\mathbf{u n i t}$
$\mathbf{5 0} \mathbf{~ m i c r o}$ Volt accross a 50 -ohm input impedance constitute a $\mathbf{S}-\mathbf{9}$ signal S-9:..an extremely strong signal 60 dB 'Over' S-9: Signal is one million times stronger than an extremely strong signal, i.e. 50 micro Volt $\times 1,000000=50$ Volts

| Ratio | Factor | Power Decibels (dB) |
| :--- | :--- | :---: |
| $1: 1$ | 1 | 0.00 |
| $2: 1$ | 2 | 3.01 |
| $10: 1$ | 10 | 10.00 |
| 100:1 | 100 | 20.00 |
| 1000:1 | 1000 | 30.00 |
| $10000: 1$ | 10000 | 40.00 |
| $100000: 1$ | 100000 | 50.00 |
| $1000000: 1$ | 100000 | $\mathbf{6 0 . 0 0} \mathbf{~ d B}$ |

Finding dB without a calculator!

| dB | Factor (X) |  |  |
| :---: | :---: | :---: | :---: |
| 10 | 10 | Counting backwards from 10 by 2's | $\begin{aligned} & \text { John=100 W } \\ & \text { Alex= } \mathbf{~ W} \\ & \text { John is } 100 \\ & \text { times stronger } \\ & \text { than Alex. } \\ & \text { How many dB's } \\ & \text { stronger John } \\ & \text { would be? } \\ & \mathbf{1 0 x 5 \times 2 = 1 0 0} \\ & \mathbf{1 0 + 7 + 3 =} \\ & \mathbf{2 0} \mathbf{~ d B} \end{aligned}$ |
| 9 | 8 |  |  |
| 8 | 6 |  |  |
| 7 | 5 | Counting backwards from 5 by 1's |  |
| 6 | 4 |  |  |
| 5 | 3 |  |  |
| 4 | 2.5 | Counting backwards from 2.5 by 0.5 's |  |
| 3 | 2.0 |  |  |
| 2 | 1.5 |  |  |

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